

Trigonometry Engaging Resources

T SO4: Desmos Sinusoidal Transformations Investigation

(Download: [SineTransformationsInv.docx](#))

This investigation assumes that students understand the basic properties of $y = \sin x$ and $y = \cos x$ and the transformations related to $y = a[f(b(x - c))] + d$. Students will explore how the parameters a , b , c , and d affect sinusoidal functions.

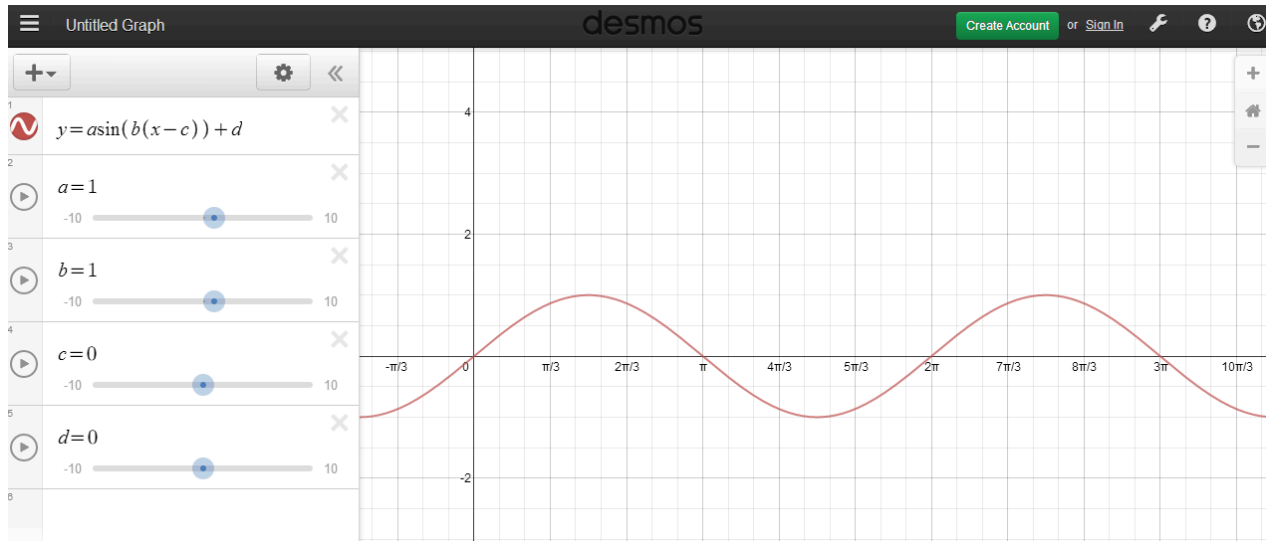
The investigation involves three steps:

1. Use Visualization to predict what characteristics will change when each of the parameters are adjusted.

Characteristics

	amplitude	period	midline	x-intercepts	y-intercept	domain	range
<i>a</i>							
<i>b</i>							
<i>c</i>							
<i>d</i>							

2. Verify the predictions from step 1 by using Desmos and sliders for each parameter.



3. Explore in more detail the relationship between the parameters and the characteristics of the graph.

Step 3: Explore Parameters

Use [Desmos](#) to explore in more detail the relationship between the parameters and the characteristics of the graph.

Explore a : Begin with $y = \sin(x)$ ($a = 1, b = 1, c = 0$ and $d = 0$)

- When $a = 1$, the amplitude of the graph is _____ . Note: amplitude = $(\max - \min) / 2$
- When $a = 2$, the amplitude of the graph is _____ .
- When $a = 4$, the amplitude of the graph is _____ .
- When $a = 0.5$, the amplitude of the graph is _____ .
- When $a = -3$, the amplitude of the graph is _____ .

Conclusion:

Explore d : Begin with $y = \sin(x)$ ($a = 1, b = 1, c = 0$ and $d = 0$)

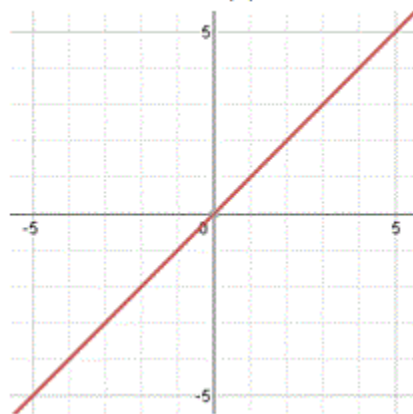
- When $d = 0$, the midline of the graph is _____ . Note: midline = $(\max + \min) / 2$
- When $d = 2$, the midline of the graph is _____ .
- When $d = -4$, the midline of the graph is _____ .

T SO4: Investigation - Transformations Connections

(Download: [TransformationsConnections.docx](#))

This activity asks students to review a transformation on a function they are already familiar with and then apply the same type of transformation to a sinusoidal function.

1. Linear function, $f(x) = x$ becomes $y = 2x$



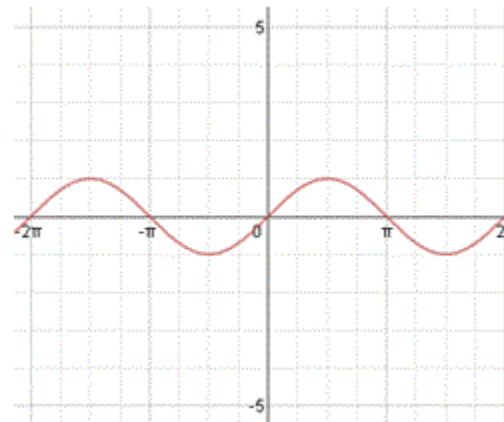
mapping notation

$(x,y) \rightarrow$

equation in $y = af[b(x-c)] + d$

describe the transformation.

2. Sinusoidal function, $f(x) = \sin x$ becomes $y = 2\sin x$



mapping notation

$(x,y) \rightarrow$

equation in $y = af[b(x-c)] + d$

describe the transformation.