



# Unpacking the New Grade 5 Math

Provincial Group

December 5, 2023



Alberta Regional Professional  
Development Consortia

Dedicated to the provision of professional learning  
opportunities at the local, regional and provincial levels



# Land Acknowledgment

We respectfully acknowledges that we are situated on Traditional lands across the province of Alberta home to many First Nations, including the Cree, Blackfoot, Métis, Nakota Sioux, Saulteaux, Inuit, and many others whose histories, languages, and cultures continue to influence our vibrant community.

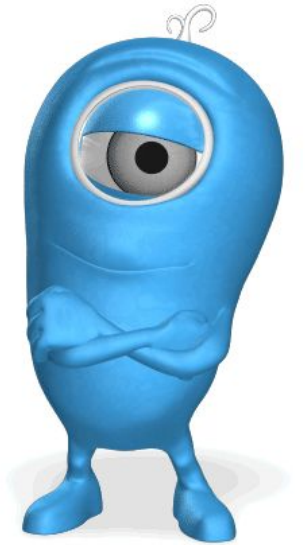




# Agenda for Today!

- identifying key skills and concepts in the part of our curriculum - Bridging!
- extending **strategies** for 5N4, 5N5 and starting 5N6
- Using money arrays to help support the unit fraction as we move towards improper fractions
- 12x12 mastery is ongoing
- place value review
- multiplication and division strategies - more review of division in February
- plotting points and areas on grids

**Money** in application  
to math facts to  
place value, addition,  
subtraction,  
multiplication and  
division of natural  
and decimal numbers.



# Review of where we came from.

DRAFT Sample Year at a Glance: Mathematics - Grade 5

September 2022 ----- November 2022		
September	October	November

**Number:** Quantity is measured with numbers that enable counting, labelling, comparing and operating. (use money as concept/manipulative and consider FL)

5N1 Students analyze patterns in place value

- Place value symmetry extends infinitely to the left and right of the ones place. (introduce with basic money skills/fractions initially - unit fractions of denominator 10 & 100, number lines)

5N2 Students add and subtract within 1 000 000, including decimal numbers to thousandths, using standard algorithms.

- Addition and subtraction of numbers with many digits is facilitated by standard algorithms. (initially whole numbers to 100 - 1 000)

5N4 Students multiply and divide natural numbers within 100 000, including with standard algorithms. (limit to math facts of 12x12 review, 2 digit x 1 and 2 digit multiplication)

- Standard algorithms are efficient procedures for multiplication and division.

\* Review of math facts with different strategies should be ongoing

5N1 Students analyze patterns in place value

- Place value symmetry extends infinitely to the left and right of the one's place. (introduce to hundredths in context, number lines, finding numbers between, compare and order)

5N2 Students add and subtract within 1 000 000, including decimal numbers to thousandths, using standard algorithms.

- Addition and subtraction of numbers with many digits is facilitated by standard algorithms. (money values (\$1.00 - \$1000.00))

5N4 Students multiply and divide natural numbers within 100 000, including with standard algorithms. (limit to math facts of 12x12 review, 2 digit x 1 and 2 digit multiplication)

- Standard algorithms are efficient procedures for multiplication and division.

\* Review of math facts with different strategies should be ongoing

5N1 Students analyze patterns in place value

- Place value symmetry extends infinitely to the left and right of the one's place. (introduce to thousandths in context, number lines, finding numbers between, compare and order, rounding)

5N2 Students add and subtract within 1 000 000, including decimal numbers to thousandths, using standard algorithms.

- Addition and subtraction of numbers with many digits is facilitated by standard algorithms. (estimation included)

5N3 Students determine divisibility of natural numbers

- A number is divisible by another number if it can be divided with a remainder of 0.

5N4 Students multiply and divide natural numbers within 100 000, including with standard algorithms.

- Standard algorithms are efficient procedures for multiplication and division 2 digit by 1 digit).

\* Review of math facts with different strategies should be ongoing

December 2022 ----- January 2023

December January February

**Number:** Quantity is measured with numbers that enable counting, labelling, comparing and operating.

5N4 Students multiply and divide natural numbers within 100 000, including with standard algorithms.

- Standard algorithms are efficient procedures for multiplication and division (3 digit by 1 digit, include alternate strategies for division).

\* Review of math facts with different strategies should be ongoing

5N5 Students interpret improper fractions.

- Fractions allow counting and measuring between whole quantities. (begin with review of multiple different unit fractions on a number line, money to be focus)
- Improper fractions and mixed numbers that represent the same number are associated with the same point on the number line. (leave for later)

\* Review of math facts with different strategies should be ongoing

5N5 Students interpret improper fractions.

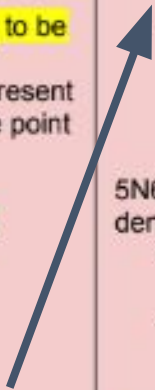
- Fractions allow counting and measuring between whole quantities.
- Improper fractions and mixed numbers that represent the same number are associated with the same point on the number line. (interpret related to money initially)

5N6 Students add and subtract fractions with common denominators.

- Fractions with common denominators are multiples of the same unit fraction.
- Properties for addition and subtraction of natural numbers apply to fractions.

\* Review of math facts with different strategies should be ongoing

**Importance of putting fractions on a number line**



**Algebra:** Equations express relationships between quantities.

5A1.1 Students interpret numerical and algebraic expressions (link with 5N4)

- Numerical expressions represent a quantity of known value.
- Parentheses change the order of operations in a numerical expression

**Finishing up with Numerical expressions**

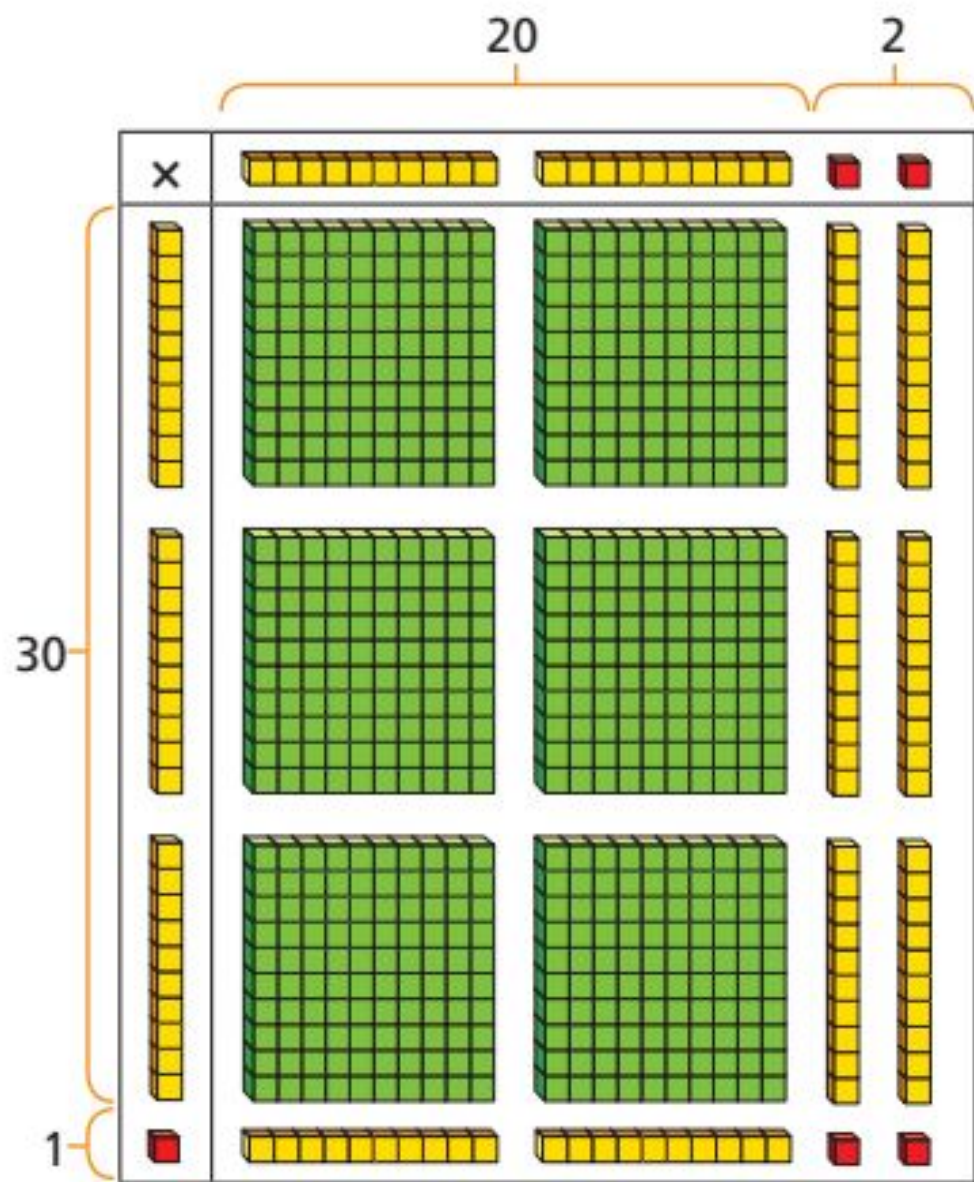


5A1.2 Students interpret numerical and algebraic expressions.

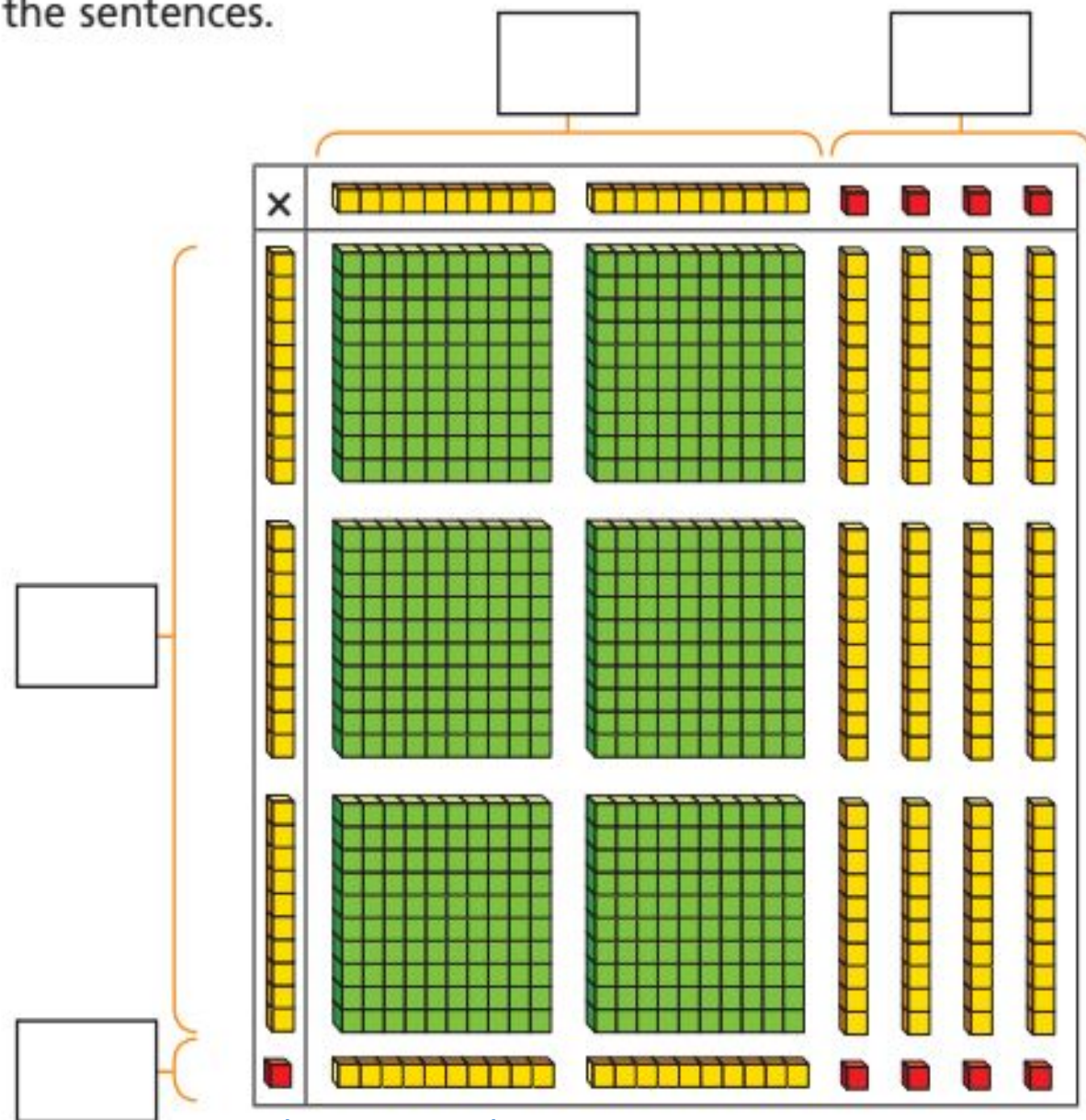
- Algebraic expressions use variables to represent quantities of unknown value.
- Algebraic expressions may be composed of one algebraic term or the sum of algebraic and

Guiding Question	In what ways can the processes of multiplication and division be articulated?		
Learning Outcome	5N4 Students multiply and divide natural numbers within 100 000, including with standard algorithms.		
	Knowledge	Understanding	Skills & Procedures
	<p>Multiplication and division of numbers with many digits is facilitated by standard algorithms.</p> <p><b>Providing additional strategies for multiplying and dividing will assist students in explaining the “standard algorithm”.</b></p>	<p>Standard algorithms are efficient procedures for multiplication and division.</p>	<p>Explain the standard algorithms for multiplication and division of natural numbers.</p> <p>Multiply up to 3-digit by 2-digit natural numbers using standard algorithms.</p> <p>Divide 3-digit by 1-digit natural numbers using standard algorithms.</p> <p>Express a quotient with or without a remainder according to context.</p> <p>Assess the reasonableness of a product or quotient using estimation.</p> <p>Solve problems using multiplication and division of natural numbers.</p>

Kim is using base 10 to work out  $31 \times 22$



Add the missing information to the area model and complete the sentences.



# Commutative Property

Allows Both to Work

$$17 \times 439$$

$$400 + 30 + 9$$

10			
+			
7			

$$439 \times 17$$

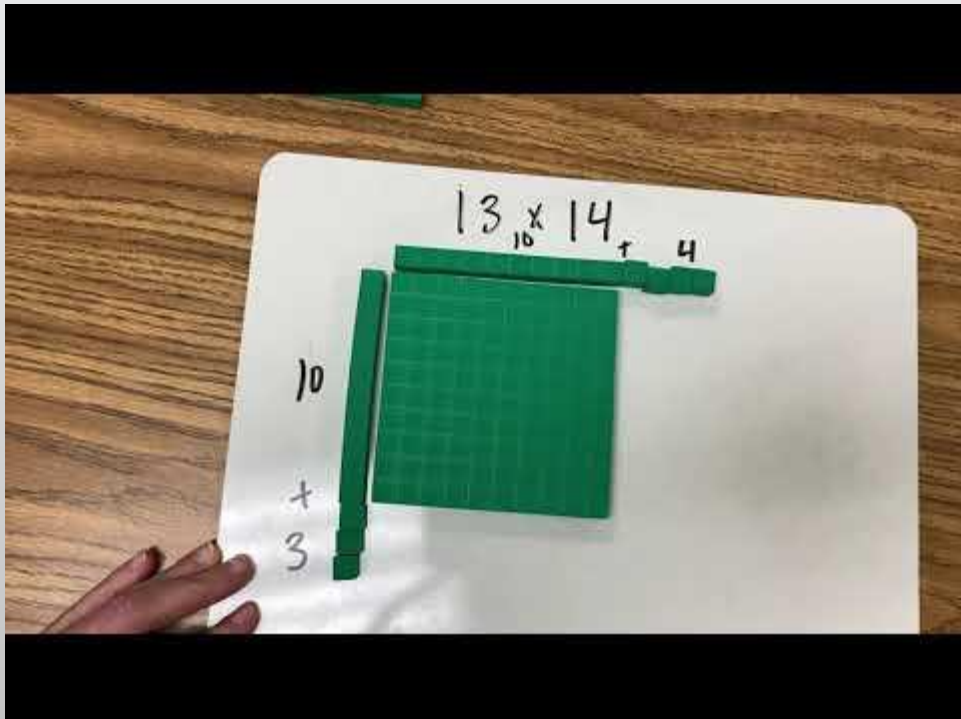
$$10 + 7$$

400		
+		
30		
+		
9		

BOX Method

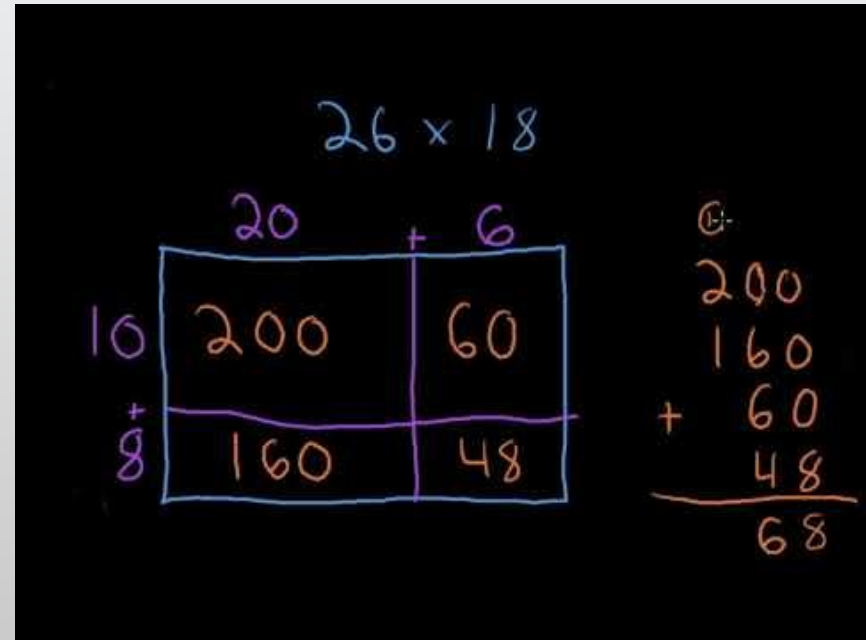
Allows students to break numbers apart into manageable pieces as well as not deal with regrouping.

## Base 10 Blocks



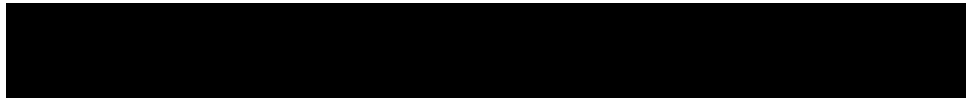
Math tip: Use base ten blocks to multiply 2 digit by 2 digit numbers. math Tips by Mrs. Townsend

## Box Method (Partial Sums)

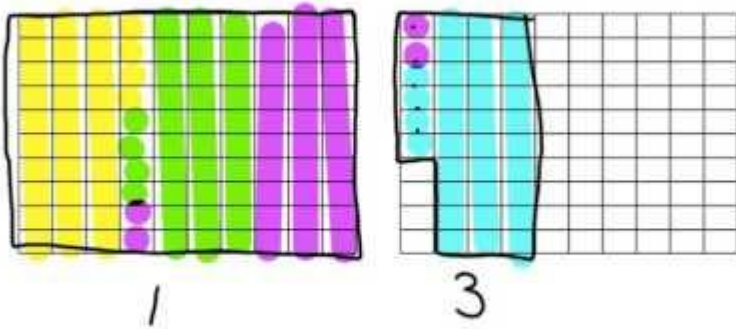


5th Grade | Multiplication | Area Model | Teaching Video: Mr. C

Some of our students who struggle may need to take the **Box Method** down one more step. Review [Multiplication and Division](#) alternate strategies.



$$.34 \times 4$$



Multiplying a decimal by a whole number using base 10 grid.  
Kerri Woronka

Sample multiplication of a decimal by a natural number using a grid.

September 2022  
2022

November

September

October

November

**Geometry: Shapes are defined and related by geometric attributes.**

5G1.1 Students investigate symmetry as a geometric property (also tie into number line and place value, no rotational symmetry)

- Symmetry is a property of shapes. Symmetry can be created and can occur in nature. (ensure use of visuals for symmetry)

5G1.1 Students investigate symmetry as a geometric property

- Symmetry is a property of shapes. Symmetry can be created and can occur in nature.

5G1.2 Students investigate symmetry as a geometric property.

- Symmetry is related to other geometric properties.

**Coordinate Geometry:** Location and movement of objects in space can be communicated using a coordinate grid.

5CG1 Students relate location to position on a grid.

- Location can describe the position of shapes in space.
- Location can be described precisely using a coordinate grid.

**Algebra: Equations express relationships between quantities.**

5A1.1 Students interpret numerical and algebraic expressions. (tie into math facts, review order of operations)

- Numerical expressions represent a quantity of known value.
- Parentheses change the order of operations in a numerical expression

5A1.1 Students interpret numerical and algebraic expressions (5N2 link)

- Numerical expressions represent a quantity of known value.
- Parentheses change the order of operations in a numerical expression

December	January	February
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<p><b>Number:</b> Quantity is measured with numbers that enable counting, labelling, comparing and operating.</p>		
<p>5N4 Students multiply and divide natural numbers within 100 000, including with standard algorithms.</p> <ul style="list-style-type: none"> <li>Standard algorithms are efficient procedures for multiplication and division (3 digit by 1 digit, include alternate strategies for division).</li> </ul> <p>* Review of math facts with different strategies should be ongoing</p>	<p>5N5 Students interpret improper fractions.</p> <ul style="list-style-type: none"> <li>Fractions allow counting and measuring between whole quantities. (begin with review of multiple different unit fractions on a number line, money to be focus)</li> <li>Improper fractions and mixed numbers that represent the same number are associated with the same point on the number line. (leave for later)</li> </ul> <p>* Review of math facts with different strategies should be ongoing</p>	<p>5N5 Students interpret improper fractions.</p> <ul style="list-style-type: none"> <li>Fractions allow counting and measuring between whole quantities.</li> <li>Improper fractions and mixed numbers that represent the same number are associated with the same point on the number line. (interpret related to money initially)</li> </ul> <p>5N6 Students add and subtract fractions with common denominators.</p> <ul style="list-style-type: none"> <li>Fractions with common denominators are multiples of the same unit fraction.</li> <li>Properties for addition and subtraction of natural numbers apply to fractions.</li> </ul> <p>* Review of math facts with different strategies should be ongoing</p>

**Algebra:** Equations express relationships between quantities.

<p>5A1.1 Students interpret numerical and algebraic expressions (link with 5N4)</p> <ul style="list-style-type: none"> <li>Numerical expressions represent a quantity of known value.</li> <li>Parentheses change the order of operations in a numerical expression</li> </ul>	<p>5A1.2 Students interpret numerical and algebraic expressions.</p> <ul style="list-style-type: none"> <li>Algebraic expressions use variables to represent quantities of unknown value.</li> <li>Algebraic expressions may be composed of one algebraic term or the sum of algebraic and</li> </ul>
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GR.5 Could they Model it?  
 Show  $(4 + 6) - 3$  ?  $4 + (6 - 3)$


Show  
 $(6 \div 2) \times 3$  vs  $6 \div (2 \times 3)$

Cuisenaire Rods

### Cuisenaire environment


Parenthesis (Brackets) change the order of operations in a numerical expression. (the visual!)


$2 \times (3 + 2)$




?

$(2 \times 3) + 2$








Add rods

How can expressions enhance communication of number?

5A1.1 Students interpret numerical and algebraic expressions.

Knowledge	Understanding	Skills & Procedures
Numerical expressions with multiple operations may include parentheses to group numbers and operations.  The conventional order of operations includes performing operations in parentheses before other operations.	Numerical expressions represent a quantity of known value.  Parentheses change the order of operations in a numerical expression.	Evaluate numerical expressions involving addition or subtraction in parentheses according to the order of operations.

fabs
Activities
Collaborate
Hide

  
 Rotate

Save

Load

File

on

off

Grid

on

off

Labels

+

-

Zoom

Clear rods

5A1.2 Students interpret numerical and algebraic expressions.

Knowledge	Understanding	Skills & Procedures
<p>Expressions that include <b>variables</b> are called algebraic expressions.</p> <p>A variable can be interpreted as a specific unknown value and is represented symbolically with a letter.</p> <p><b>Products with variables are expressed without the multiplication sign.</b></p> <p>Quotients with variables are expressed using fraction notation.</p> <p>An <b>algebraic term</b> is the product of a number, called a coefficient, and a variable.</p> <p>A constant term is a number.</p> <p>A variable can be replaced by a given number in order to evaluate an expression.</p>	<p>Algebraic expressions use variables to represent quantities of unknown value.</p> <p>Algebraic expressions may be composed of one algebraic term or the sum of algebraic and constant terms.</p> <p><b>Let's Consider Variables and Algebraic Expressions</b></p>	<p>Relate repeated addition of a variable to the product of a number and a variable.</p> <p>Express the product of a number and a variable using a coefficient.</p> <p>Express the quotient of a variable and a number as a fraction.</p> <p>Recognize a product with a variable, a quotient with a variable, or a number as a single term.</p> <p>Write an algebraic expression involving one or two terms to describe an unknown value.</p> <p>Evaluate an algebraic expression by substituting a given number for the variable.</p>



In what ways can area be communicated?

5M1 Students estimate and calculate area using standard units.

Knowledge	Understanding	Skills & Procedures
<p>Area is expressed in the following standard units, derived from standard units of length:</p> <ul style="list-style-type: none"> <li>o square centimetres</li> <li>o square metres</li> <li>o square kilometres</li> </ul> <p>A square centimetre (<math>\text{cm}^2</math>) is an area equivalent to the area of a square measuring 1 centimetre by 1 centimetre.</p> <p>A square metre (<math>\text{m}^2</math>) is an area equivalent to the area of a square measuring 1 metre by 1 metre.</p> <p>A square kilometre (<math>\text{km}^2</math>) is an area equivalent to the area of a square measuring 1 kilometre by 1 kilometre.</p> <p>Among all rectangles with the same area, the square has the least perimeter.</p>	<p>Area can be expressed in various units according to context and desired precision.</p> <p>Rectangles with the same area can have different perimeters.</p>	<p>Relate a centimetre to a square centimetre.</p> <p>Relate a metre to a square metre.</p> <p>Relate a square centimetre to a square metre.</p> <p>Express the relationship between square centimetres, square metres, and square kilometres.</p> <p>Justify the choice of square centimetres, square metres, or square kilometres as appropriate units to express various areas.</p> <p>Estimate an area by comparing to a benchmark of a square centimetre or square metre.</p> <p>Express the area of a rectangle using standard units given the lengths of its sides.</p> <p>Compare the perimeters of various rectangles with the same area.</p> <p>Describe the rectangle with the least perimeter for a given area.</p> <p>Solve problems involving perimeter and area of rectangles.</p>

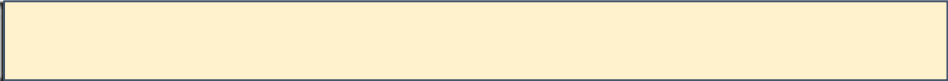
Sample activity

Provide students with 1 cm grid paper and ask them to draw all the rectangles they can with an area of 12 sq cm.

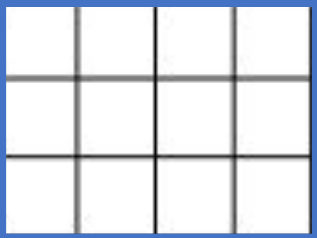
Have them label the lengths of the sides and then determine perimeter -

What is the difference between perimeter and area?

[Grid Paper](#)



Line of Symmetry?



Fractional fold ( $\frac{1}{2}$ ,  $\frac{1}{4}$  and ...)

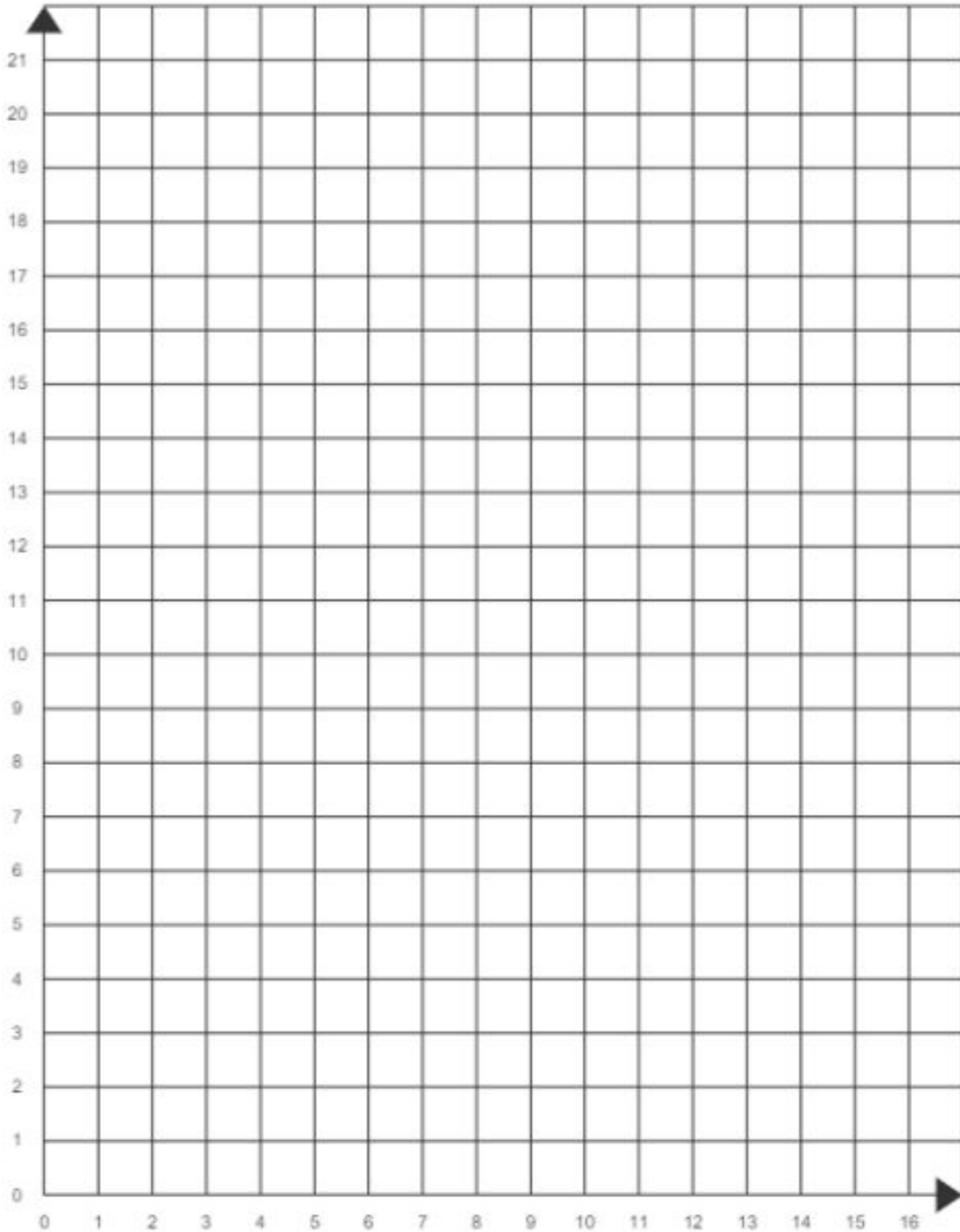
# Deeper Thinking

Plot (4, 5), (9,5), (4, 10), (9, 10)

How many squares does the rectangle cover?







What is the perimeter?

Can it be folded in  $\frac{1}{2}$ ? Symmetrical?



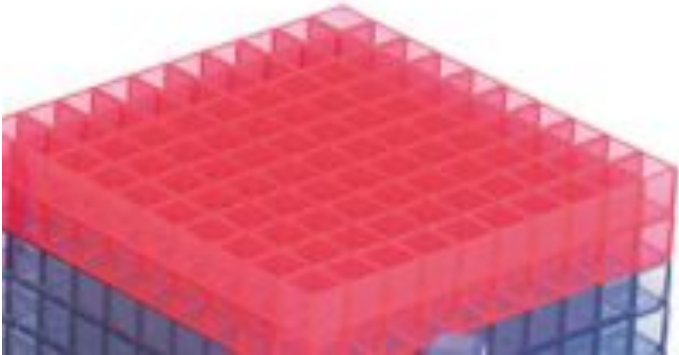
# **Reviewing Place Value**

# Place Value Chart Beginning with Money (Penny, Dime, Loonie, \$10, \$100, \$1000)

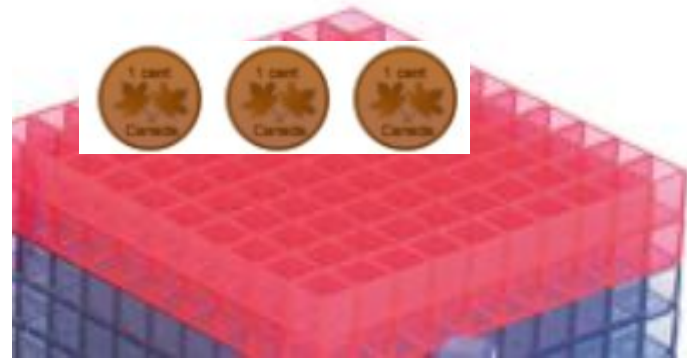
 (not legal tender)					

As of January 1, 2021, the \$1, \$2, \$25, \$500 and \$1,000 bills from every Bank of Canada series are no longer legal tender.

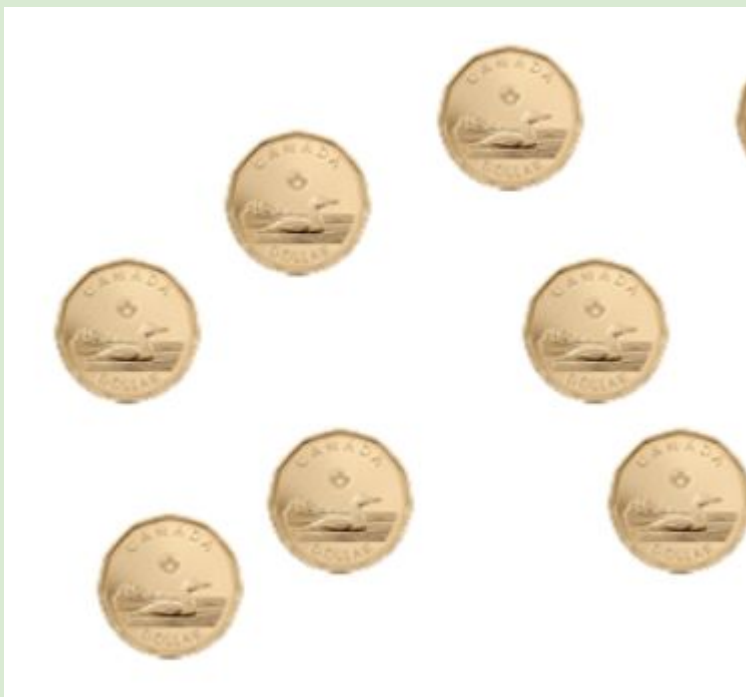
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# Show me 103 cents



How can we meet these outcomes and leverage money in the process?



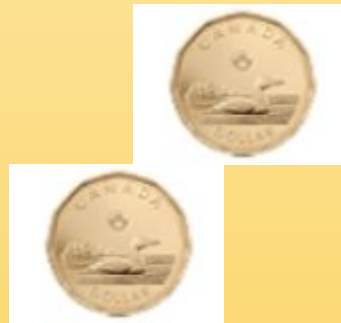
# TENS

# Ones



Answer:

Can you convert  
and Trade?



How else can we make \$68.00

# Work on Mastery to 100

Tens



Ones



What number is this?  
What digit is in the tens place?  
How many tens in this number?  
How many ones in this number?



What number is this?  
What digit is in the tens place?  
How many tens in this number?  
How many ones in this number?

# How many tens in...



How many ones?

# Work on Mastery to 100

Hundreds



Tens



Ones



What number is this?

What digit is in the tens place?

How many tens in this number?

How many ones in this number?

\$100

\$10

\$1



\$100

\$10

\$1



4

3

4



$$\$13.15 + \$13.15$$

13.15

13.15

26.30



$$\$13.15 \times 2$$

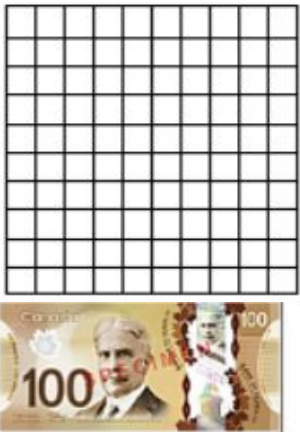


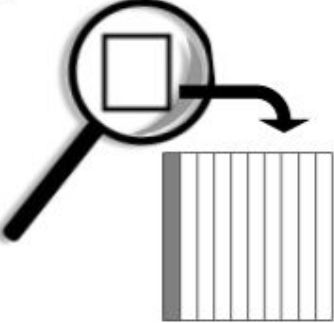
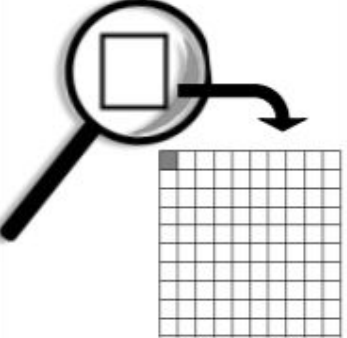
1

13.15

x 2

26.30



Hundreds	Tens	Units	Tenths	Hundredths
 <p data-bbox="147 1313 310 1368">100.00</p>	 <p data-bbox="580 1313 708 1368">10.00</p>	 <p data-bbox="947 1313 1044 1368">1.00</p>	 <p data-bbox="1324 1313 1503 1368">0.1 <math>\frac{1}{10}</math></p>	 <p data-bbox="1656 1313 1885 1368">0.01 <math>\frac{1}{100}</math></p>

Real World  
Context

## Resources

### **Math Makes Sense 5 (Pearson)**

Unit 3 Pages 71 -117

### **Math Focus 5 (Nelson)**

Chapter 2 Pages 48 -78

Chapter 6 Pages 198 - 215

[CPAR Documents](#)

## Multiplication and Division of Multi-Digit Numbers:

students multiply multi-digit whole numbers using the standard algorithm and begin working toward end-of-grade expectation for fluency. They also find whole-number quotients with up to four-digit dividends and two-digit divisors. Resource contains a TEachers Guide and Student resource.

Source: Core Knowledge



## Resources

Grade 4 & 5 Ontario Math - Multiplication and Division of Numbers  
(Area Models and Problems)

<https://cubeforteachers.com/folders/R4TZ6ifWVheowpL3XIQ9mSQnC161UEes6riXb0Rz0X7LcXvuTmZ6IANxrDSSOBlu?q=5.B2.6&idx=posts&p=0>

<https://cubeforteachers.com/folders/uQLGiZSylxmhQMNFRnIHxeYeQBptrEma9oyvJpFujtN2L9AsaDsmI3EVrAgcQAGz?q=4.B2.6&idx=posts&p=0>

Grade 5 Ontario Math - Addition and Subtraction tenths and  
hundredths

<https://cubeforteachers.com/folders/R4TZ6ifWVheowpL3XIQ9mSQnC161UEes6riXb0Rz0X7LcXvuTmZ6IANxrDSSOBlu?q=5.B2.4&idx=posts&p=0>

Grade 5 Ontario Math - Multiplication of Two digit whole numbers

<https://cubeforteachers.com/folders/R4TZ6ifWVheowpL3XIQ9mSQnC161UEes6riXb0Rz0X7LcXvuTmZ6IANxrDSSOBlu?q=5.B2.6&idx=posts&p=0>

Grade 5 Ontario Math - Divide whole numbers using a variety of  
strategies.

<https://cubeforteachers.com/folders/R4TZ6ifWVheowpL3XIQ9mSQnC161UEes6riXb0Rz0X7LcXvuTmZ6IANxrDSSOBlu?q=5.B2.7&idx=posts&p=0>

<b>Organizing Idea</b>	Number: Quantity is measured with numbers that enable counting, labelling, comparing, and operating.		
<b>Guiding Question</b>	In what ways can fractions communicate numbers greater than one?		
<b>Learning Outcome</b>	5N5 Students interpret improper fractions.		
	Knowledge	Understanding	Skills & Procedures
	<p>A fraction can represent quantities greater than one.</p> <p>An improper fraction has a numerator that is greater than its denominator.</p> <p>Natural numbers can be expressed as improper fractions with a denominator of 1.</p> <p>A mixed number of the form <math>A \frac{b}{c}</math>, composed of a number of wholes, A, and a fractional part, <math>\frac{b}{c}</math>, can represent an improper fraction.</p> <p><b>Provide a real world context of an improper fraction - begin with unit fraction counting.</b></p>	<p>Fractions allow counting and measuring between whole quantities.</p> <p>Improper fractions and mixed numbers that represent the same number are associated with the same point on the number line.</p> <p><b>Unit Fractions with money is a great link.</b></p>	<p>Relate fractions, improper fractions, and mixed numbers to their positions on the number line.</p> <p>Count beyond 1 using fractions with the same denominator.</p> <p>Model fractions, including improper fractions and mixed numbers, using quantities, lengths, and areas.</p> <p>Express improper fractions and mixed numbers symbolically.</p> <p>Express an improper fraction as a mixed number and vice versa.</p> <p>Compare fractions, including improper fractions and mixed numbers, to benchmarks of 0, <math>\frac{1}{2}</math> and 1.</p>



So what does the research tell us  
about fractions and Number lines ?

*An opportunity for a re-consider!*

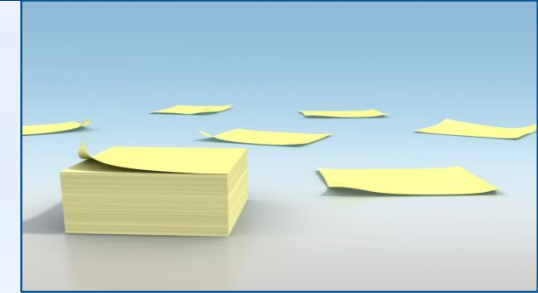
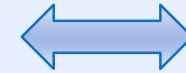
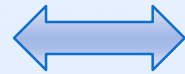
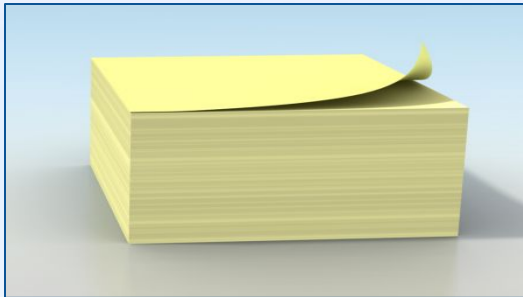
# Number Line



Students Internalize Concepts ( near, far, more, less, before, after, one more or two more )

Students can compare numbers

Teachers must build vocabulary throughout the activity



- Fractions involve difficult-to-learn and difficult-to-teach concepts that present ongoing pedagogical challenges to the mathematics education community.

- These difficulties begin early in the primary years (Empson & Levi, 2011; Moss & Case, 1999) and persist through middle school (Armstrong and Larson, 1995; Kamii and Clark, 1995), then into secondary and even tertiary education (see Orpwood, Schollen, Leek, Marinelli-Henriques, & Assiri, 2011).

- The challenges and misunderstandings students face in understanding fractions (Gould, Outhred, & Mitchelmore, 2006; Hiebert 1988; NAEP, 2005) persist into adult life and pose problems in such wide-ranging fields as medicine and health care, construction and computer programming.

So what did the research tell us?

1

**Understanding:**  
the roles and relationships between the numbers

$1/3 > 1/2$

**Unit Fraction Glance:**

insufficient time devoted to the concept of the "unit" fraction as opposed to algorithms and mathematical definitions.

5

2

**Moving to Algorithms too quickly:**  
models removed quickly, symbolic terminology, procedural

**The 'Why' of the Rules:**

Lack of time devoted to why we do what we do; connections to unit fraction.

6

3

**Inconsistent Language**  
"2 over 5" or "2 out of 5" is actually "two fifths"

**Representing -**

Over-emphasis on Part-Whole:  
Fractions are not only part-whole, many other representations

7

4

**Lack of Connection to Previous Learning:**  
assume it is obvious a child knows what a fraction represents; real world connections

**North-American overuse of Circles:**

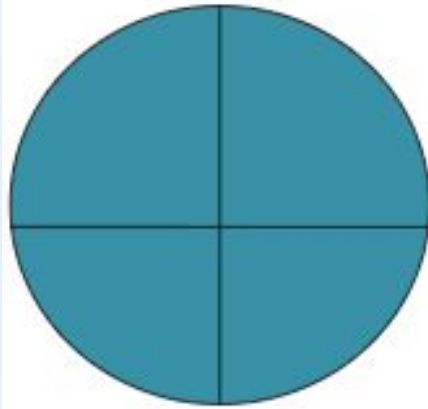
Circles offer us limited understanding when first learning fractions

8

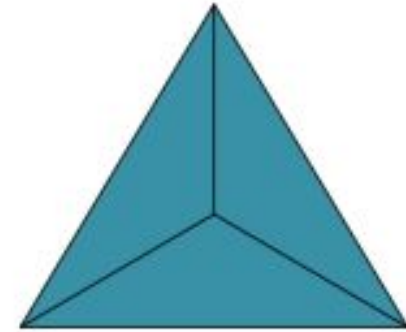
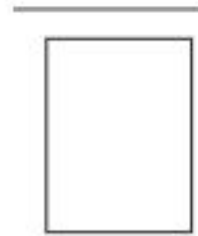


Find the unit fraction for these diagrams

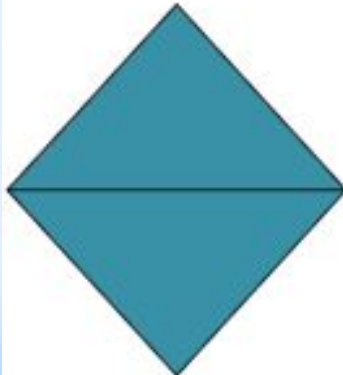
Avoid this 'count and fill in' type of worksheet soon after we talk about a unit fraction.



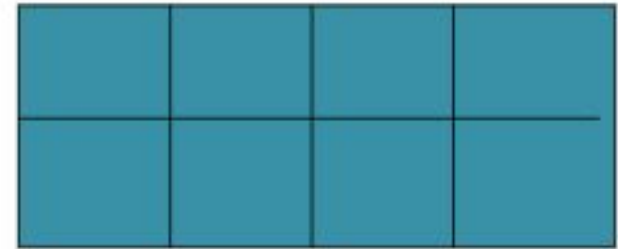
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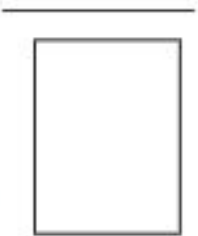
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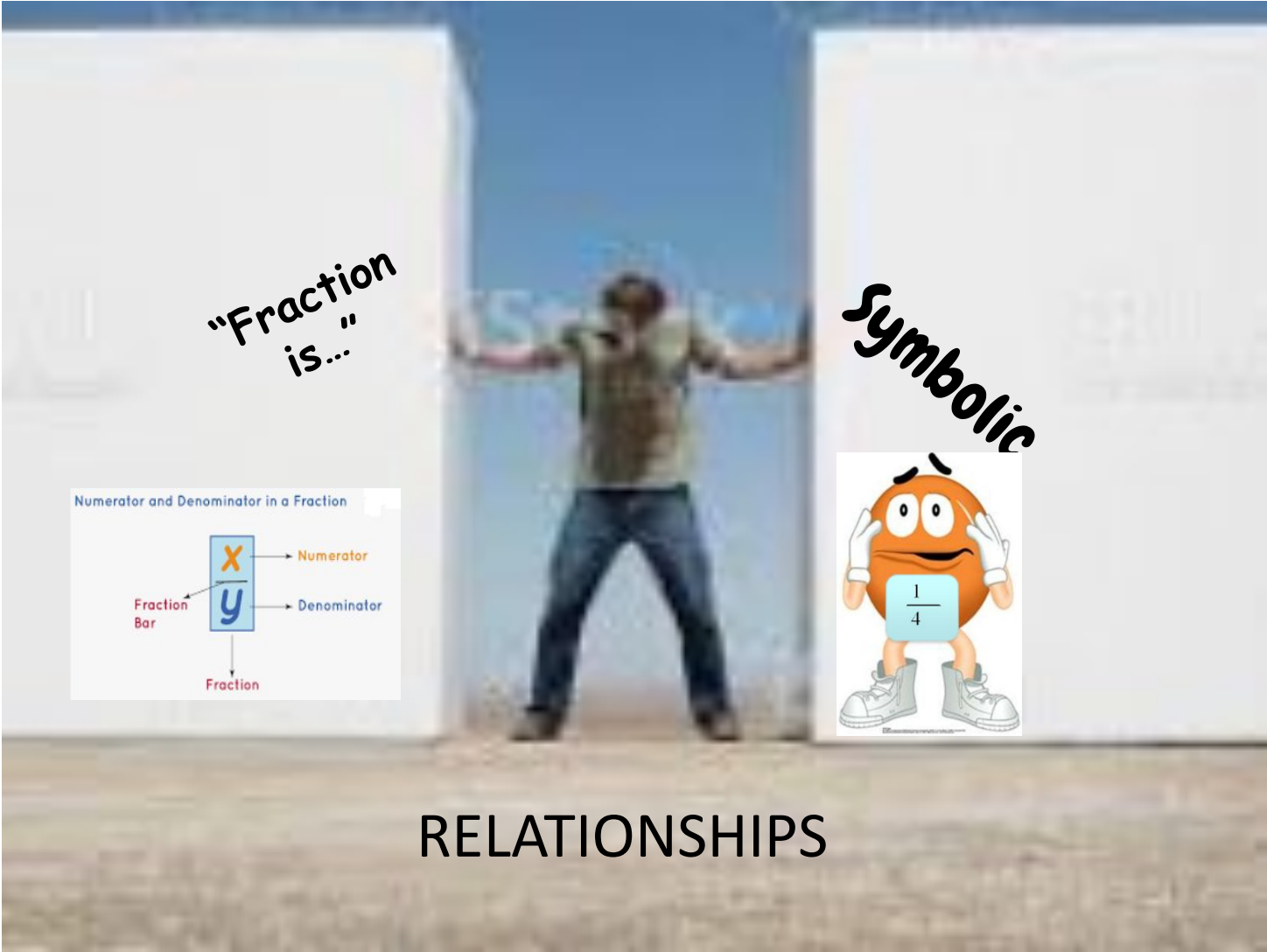


1



1





# RELATIONSHIPS

# WHAT IS A FRACTION?

A fraction is a **number** which can tell us about the relationship between two quantities.





# Let's move to Unit Fractions and Money

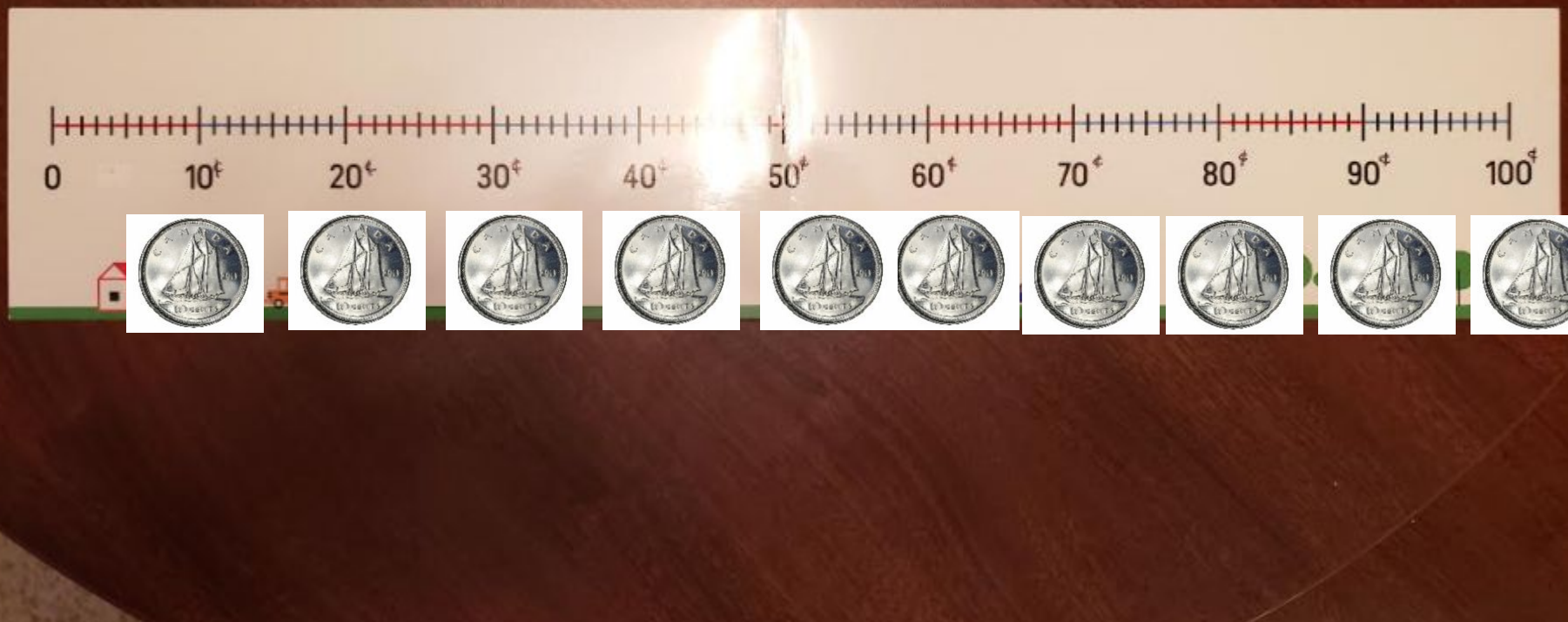


In what ways can fractions communicate numbers greater than one?

5N5 Students interpret improper fractions.

Knowledge	Understanding	Skills & Procedures
<p>A fraction can represent quantities greater than one.</p> <p>An improper fraction has a numerator that is greater than its denominator.</p> <p>Natural numbers can be expressed as improper fractions with a denominator of 1.</p> <p>A mixed number of the form <math>A \frac{b}{c}</math>, composed of a number of wholes, <math>A</math>, and a fractional part, <math>\frac{b}{c}</math>, can represent an improper fraction.</p>	<p>Fractions allow counting and measuring between whole quantities.</p> <p>Improper fractions and mixed numbers that represent the same number are associated with the same point on the number line.</p>	<p>Relate fractions, improper fractions, and mixed numbers to their positions on the number line.</p> <p>Count beyond 1 using fractions with the same denominator.</p> <p>Model fractions, including improper fractions and mixed numbers, using quantities, lengths, and areas.</p> <p>Express improper fractions and mixed numbers symbolically.</p> <p>Express an improper fraction as a mixed number and vice versa.</p> <p>Compare fractions, including improper fractions and mixed numbers, to benchmarks of 0, <math>\frac{1}{2}</math> and 1.</p>

# Create the Unit Fractions Visually



# February

How can the composition of fractions facilitate operating with fractions?

5N6 Students add and subtract fractions with common denominators.

Knowledge	Understanding	Skills & Procedures
<p>Fractions with common denominators can be composed or decomposed to model the change in a quantity of unit fractions.</p> <p>Addition and subtraction of fractions with common denominators does not change the unit fraction from which they are composed.</p> <p>Fractions greater than one can be added or subtracted as mixed numbers or improper fractions.</p>	<p>Fractions with common denominators are multiples of the same unit fraction.</p> <p>Properties for addition and subtraction of natural numbers apply to fractions.</p>	<p>Investigate the composition and decomposition of a quantity within 1 using unit fractions.</p> <p>Express the composition or decomposition of fractions with common denominators as a sum or difference.</p> <p>Compare strategies for adding or subtracting improper fractions to strategies for adding or subtracting mixed numbers.</p> <p>Add and subtract fractions with common denominators within 100, including improper fractions and mixed numbers.</p> <p>Solve problems requiring addition and subtraction of fractions with common denominators, including improper fractions and mixed numbers.</p>

Ontario Math 5 [Equivalent Fractions](#)

[MathLinks 7](#)

Chapter 6 Student Book

Pages 210 - 224

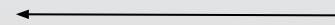
Chapter 7 Pages 245 - 250 (like denominator questions only)

## February

We will revisit the visuals and operations of fractions. They should be very comfortable with Unit Fractions



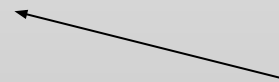
1



Numerator  
(1 dime)



10



Denominator (10  
dimes for 1 dollar)

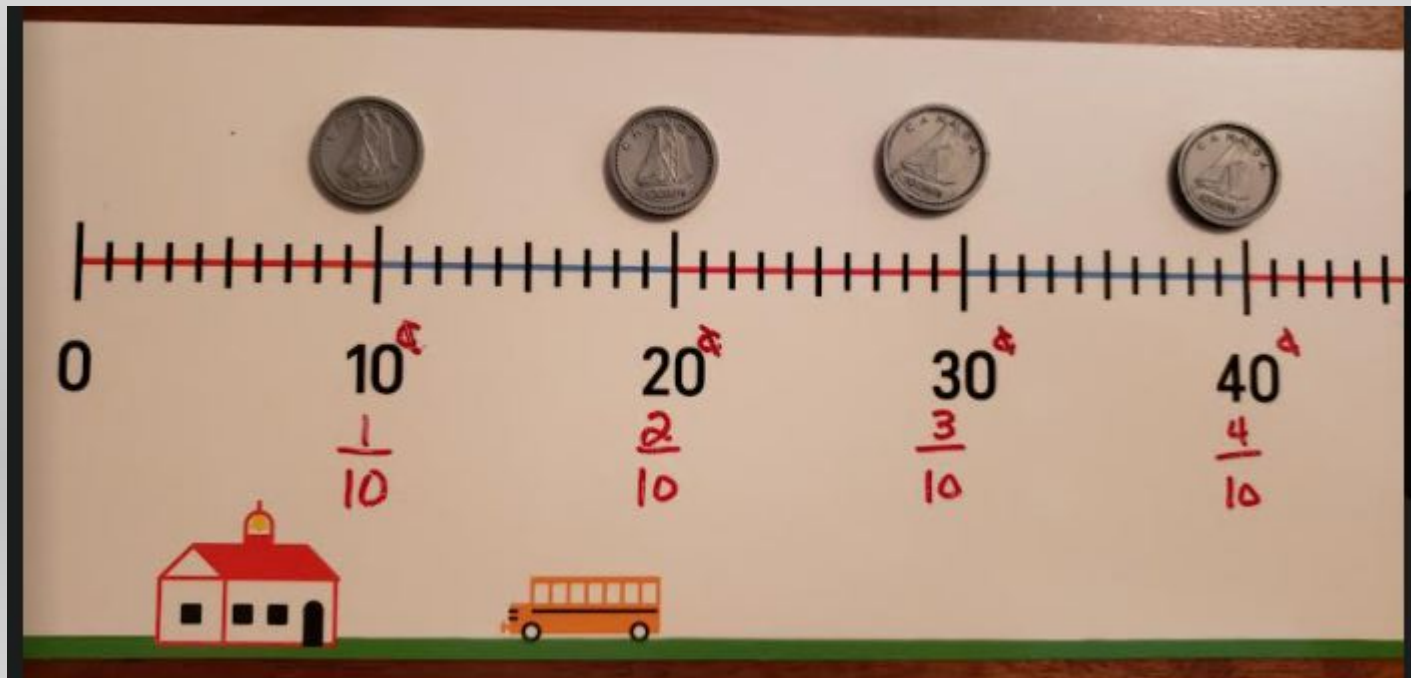


Same coin being represented



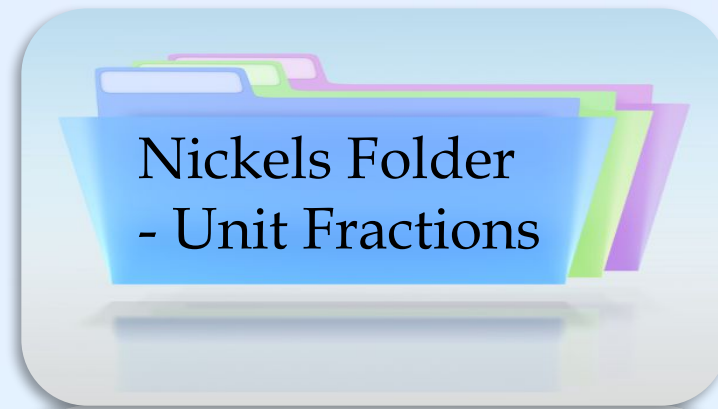
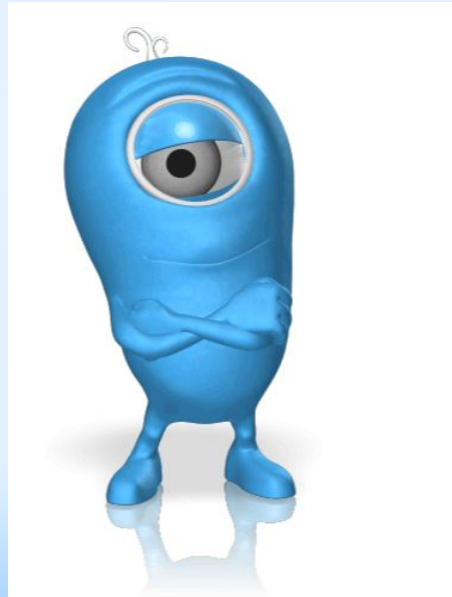
Dimes in the middle row  
Label all numbers with cents



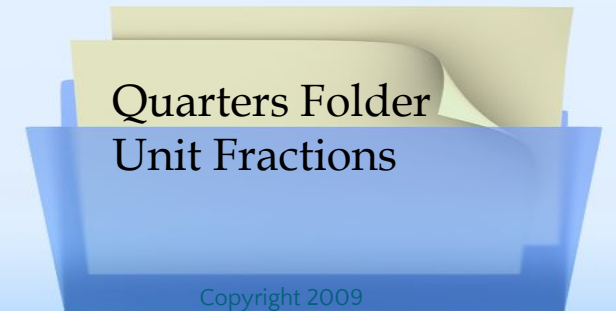


# •Using more money for unit fractions

Use the top line to complete the nickels unit fractions



Use the bottom line to complete the quarters unit fractions



Copyright 2009



0

5¢  
1  
20

10¢  
2  
20

15¢  
3  
20

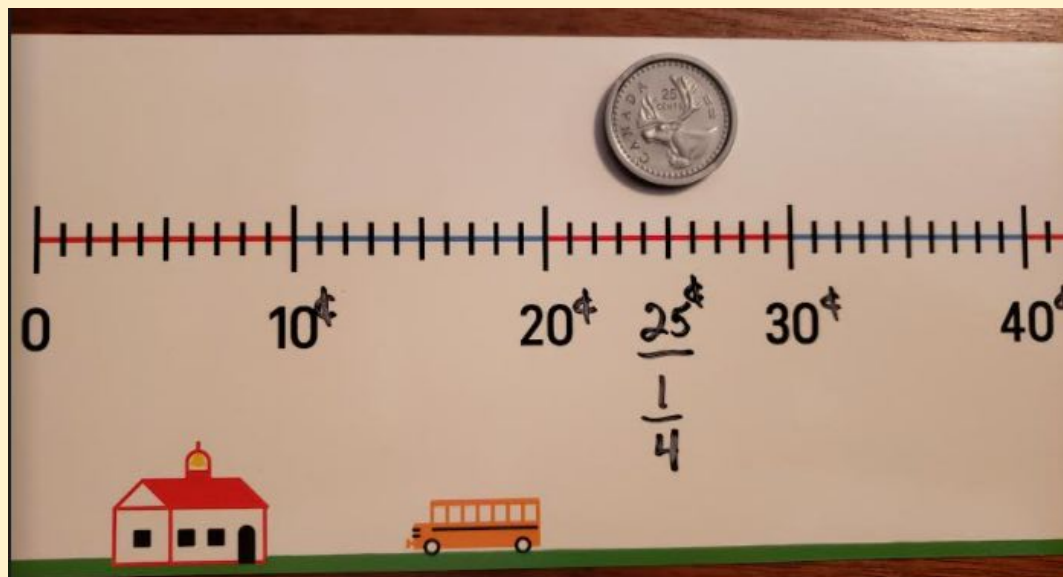
20¢  
4  
20

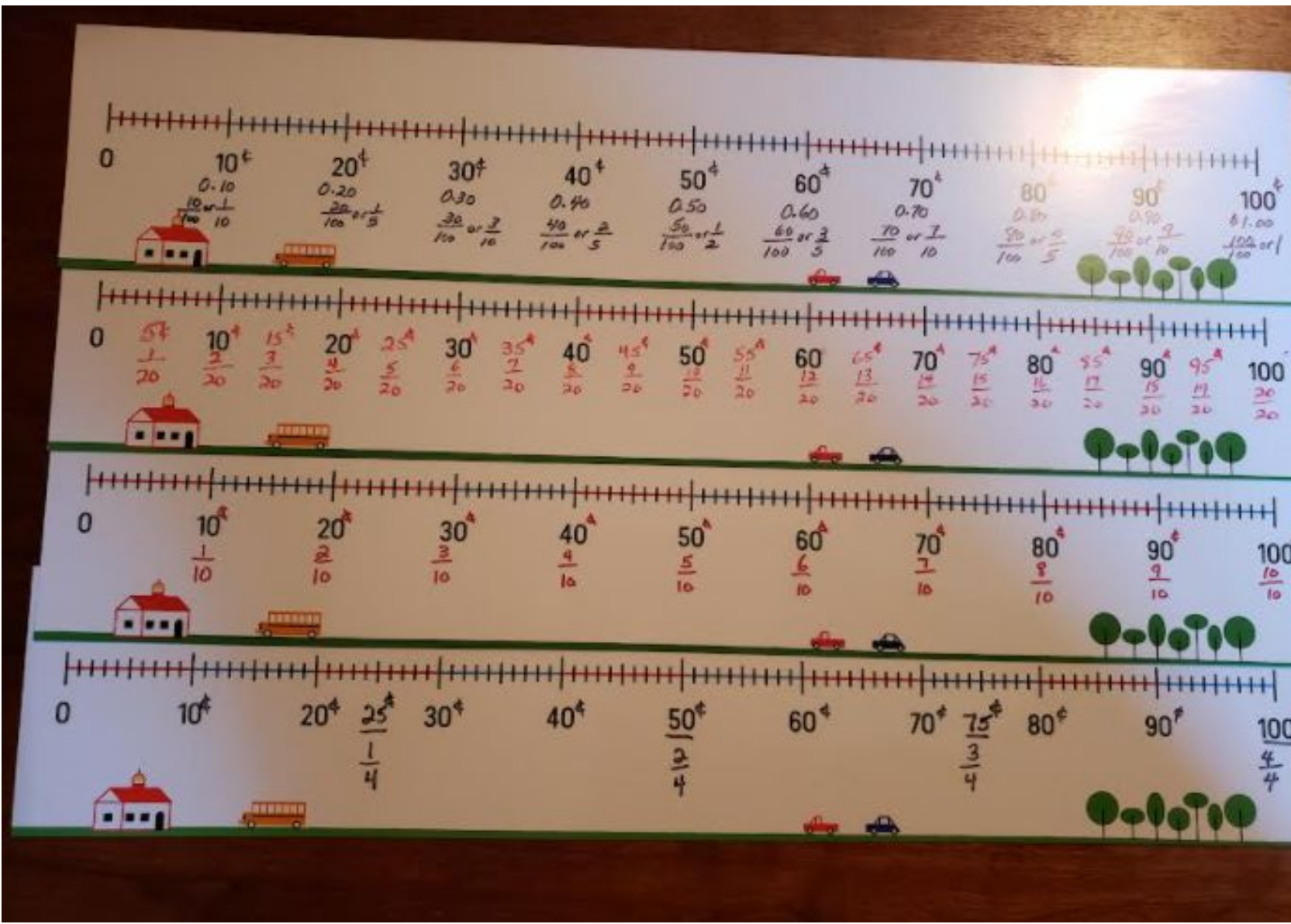
25¢  
5  
20

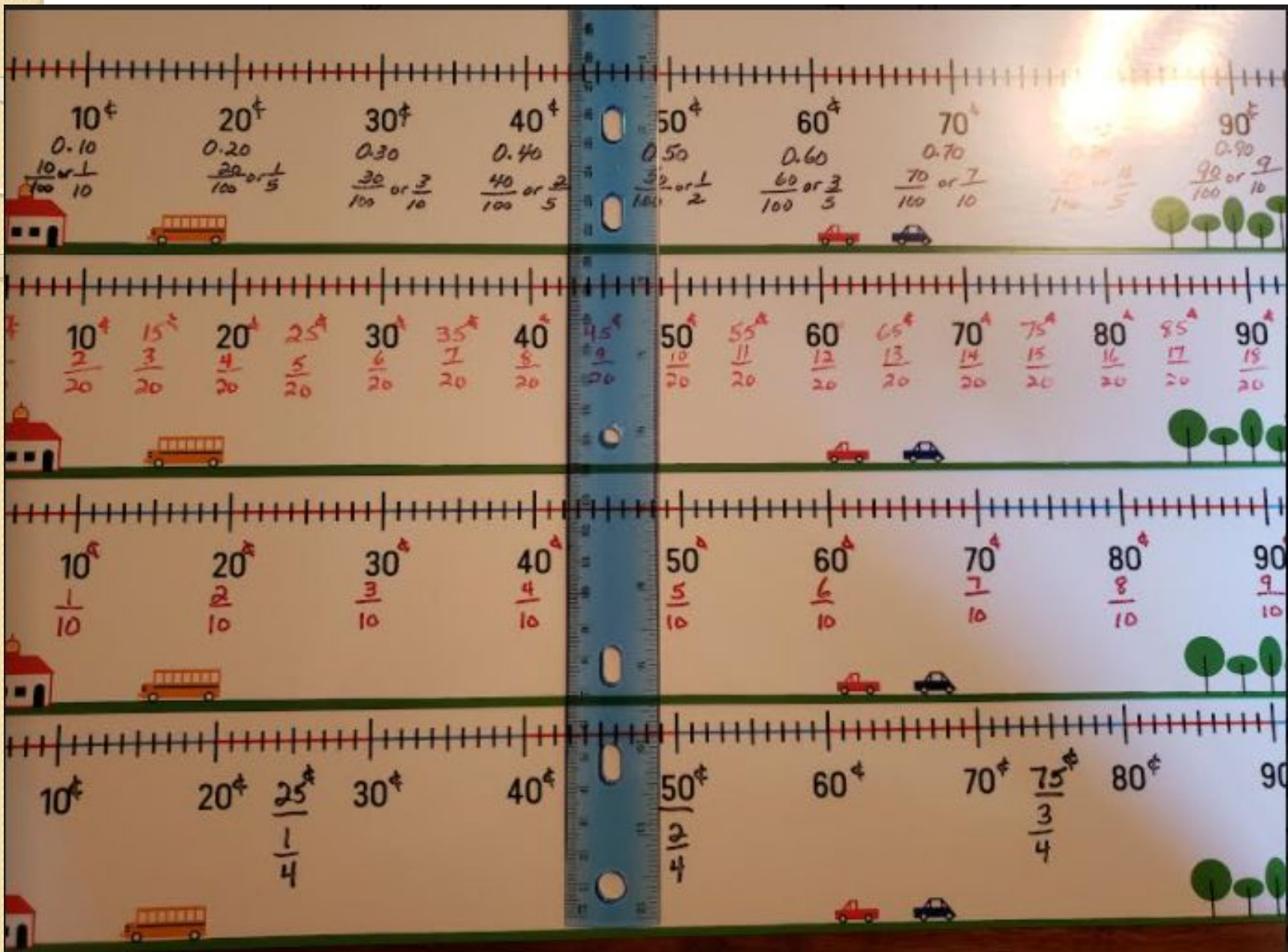
30¢  
6  
20

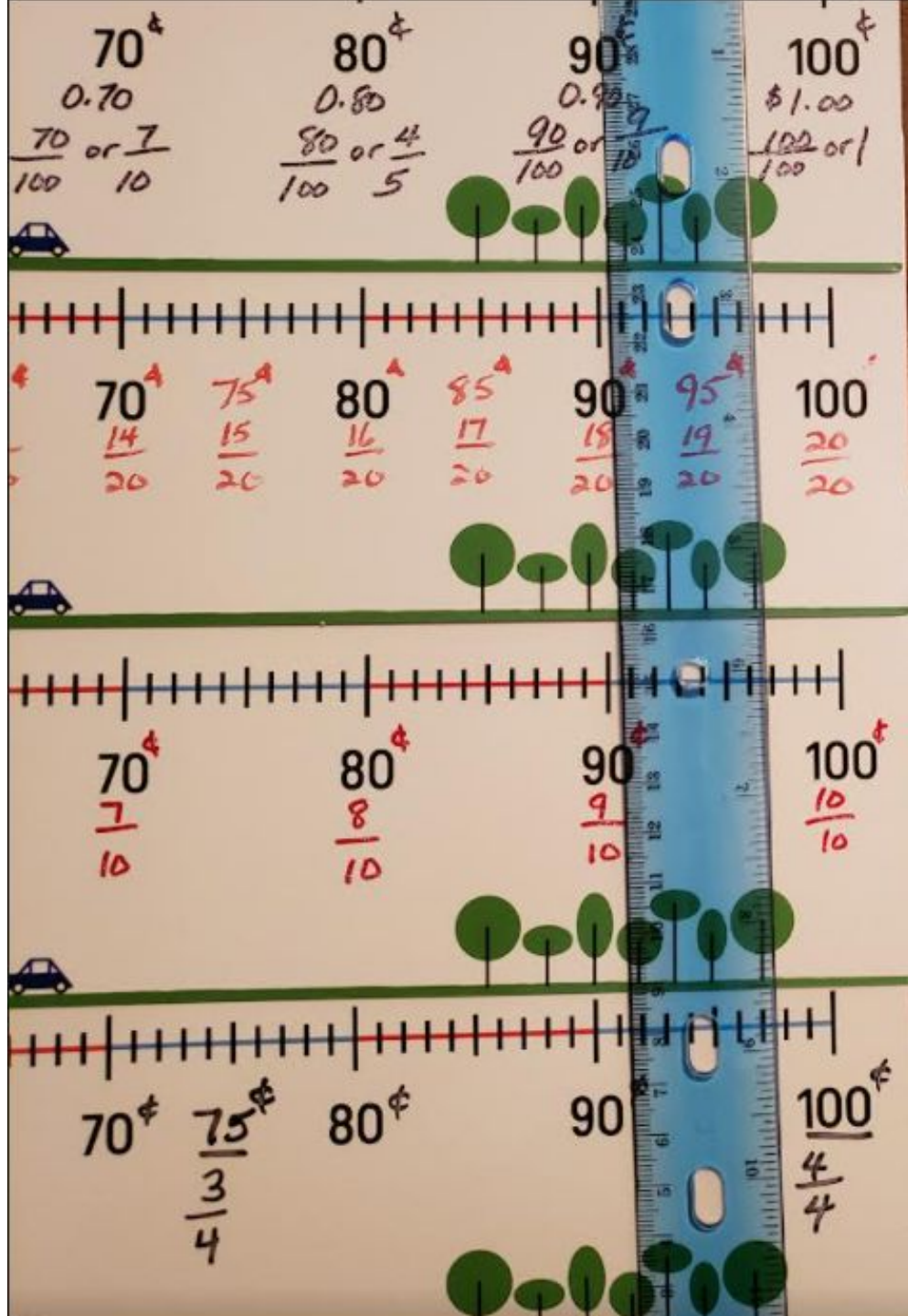
35¢  
7  
20

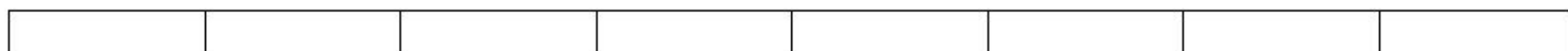
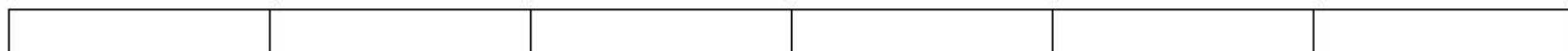
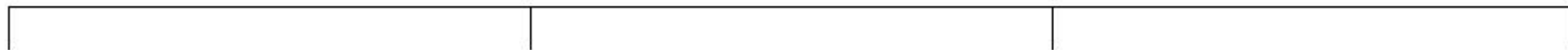
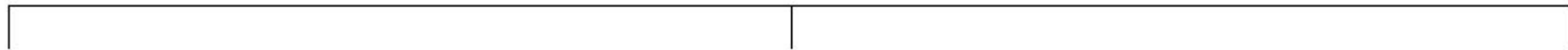










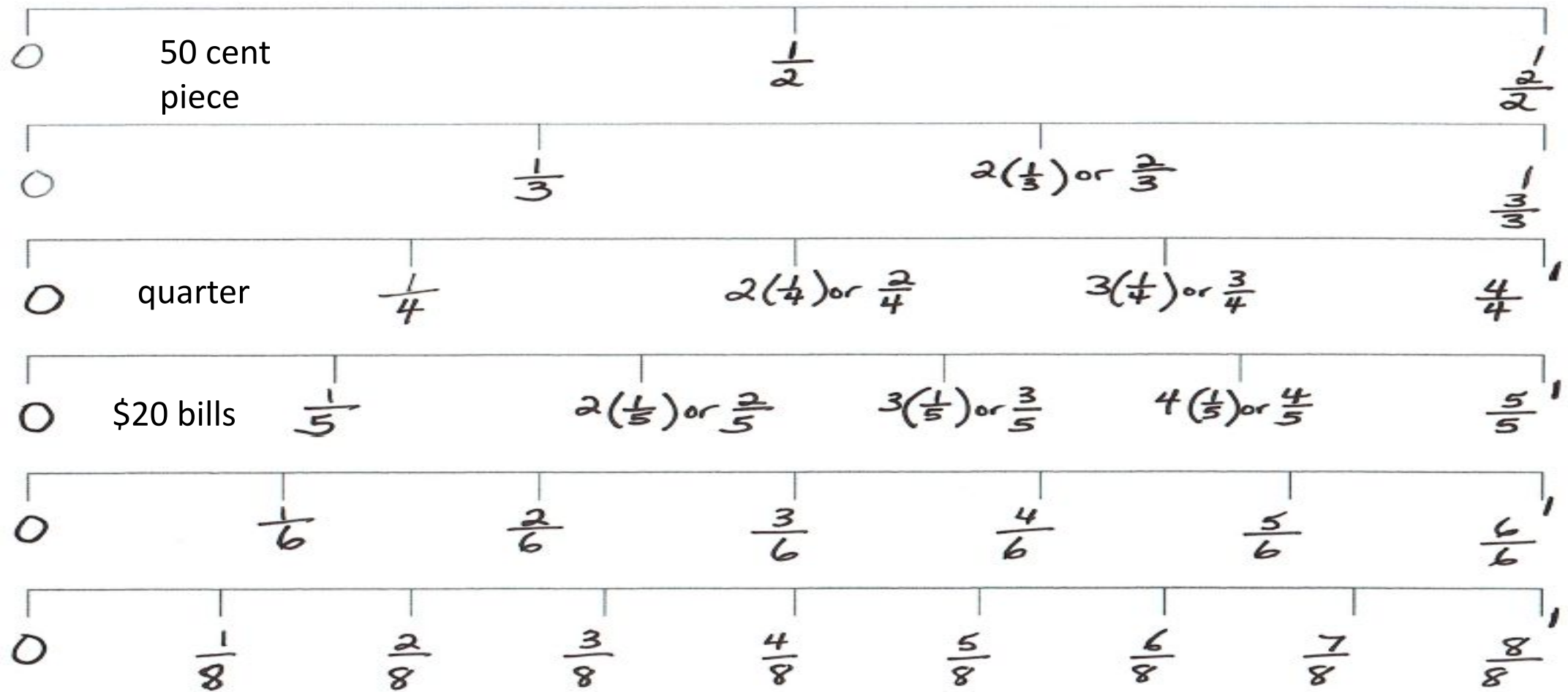


Place 0 down the left side of each number line.

Place 1 down the right side of each number line.

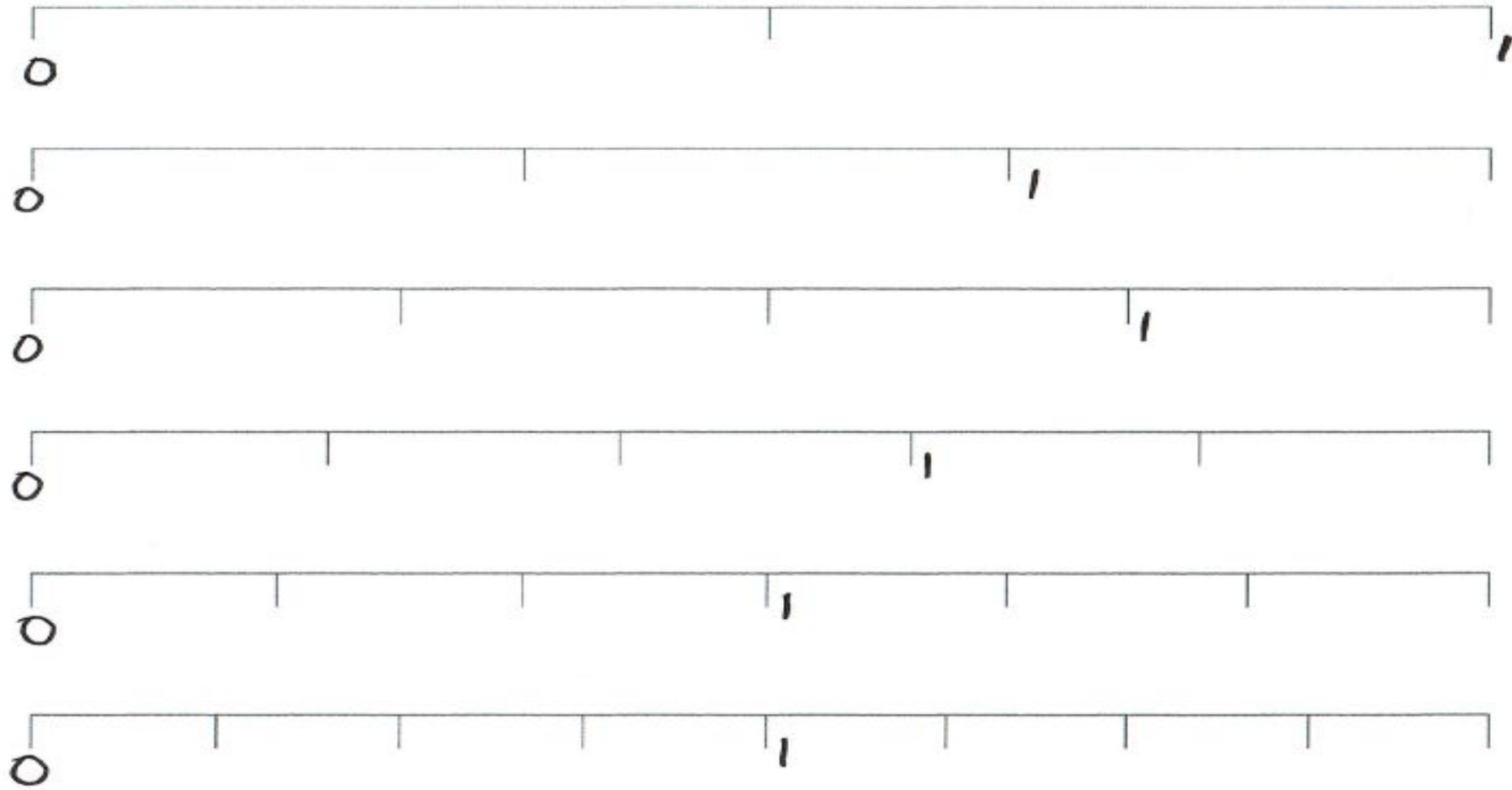
Count by each unit fraction and number each 'tic' mark.

## Equal Jumps

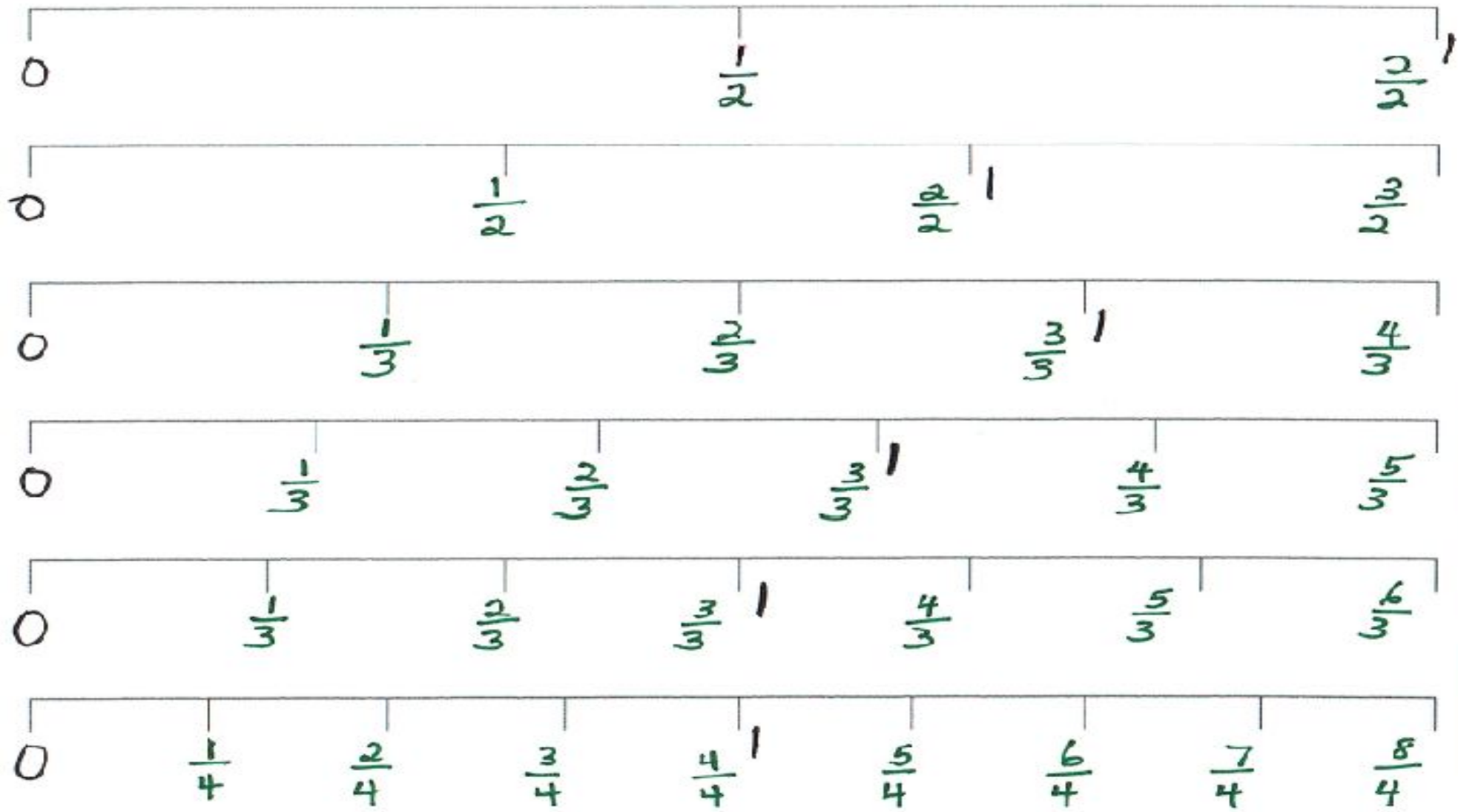


Compare

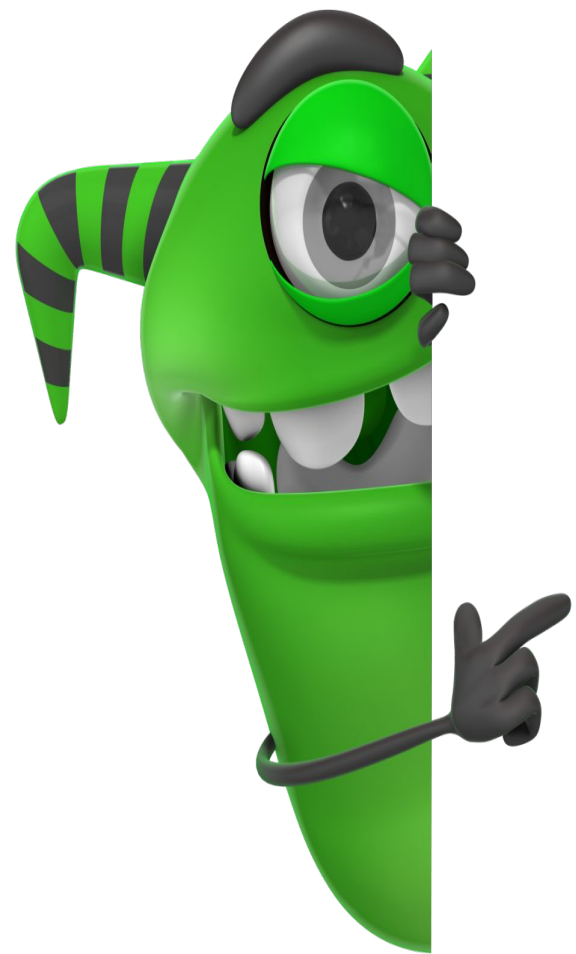
how can you recognize half?



Surface  
Deep  
Transfer



How much is  $\frac{3}{2}$ ?



or 1 ½ or \$1.50



1  $\frac{1}{4}$   
\$1.25



1  $\frac{1}{2}$   
\$1.50



1  $\frac{3}{4}$   
\$1.75



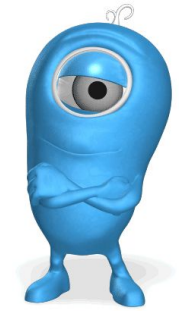
**Math Focus**

Chapter 7 Pages 220 - 253

**Math Makes Sense**

Unit 5 Pages 164 - 219

Model	fractions, including improper fractions and mixed numbers, using quantities, lengths, and areas.		
Solve	problems involving perimeter and area of rectangles.		
Determine	the factor that relates one denominator to another.		
Describe	the rectangle with the least perimeter for a given area.		
Recognize	two fractions with related denominators.		
Add and Subtract	fractions.		
Multiply and Divide	up to 3-digit natural or decimal numbers by 2-digit natural numbers, using standard algorithms./up to 3-digit by 2-digit natural numbers using standard/3-digit by 1-digit natural numbers using standard algorithms.		
Examine	standard algorithms for multiplication and division.		
Multiply and Divide	3-digit natural numbers by 1-digit natural numbers using standard algorithms.		
Assess	a quotient with or without a remainder.		
Solve	the reasonableness of a product or quotient using estimation.		
Explain	problems using multiplication and division including problems involving money./ problems requiring addition and subtraction of fractions with common denominators, including improper fractions and mixed numbers.		
Express	the standard algorithms for multiplication and division of natural numbers.		
Evaluate	a quotient with or without a remainder according to context./s improper fractions and mixed numbers symbolically./an improper fraction as a mixed number and vice versa./the composition or decomposition of fractions with common denominators as a sum or difference./ the relationship between square centimetres, square metres, and square kilometres/		
Relate	numerical expressions involving operations in parentheses and powers according to the order of operations.		
Compare	fractions, improper fractions, and mixed numbers to their positions on the number line.		
Investigate	fractions, including improper fractions and mixed numbers, to benchmarks of 0, 1/2 and 1./strategies for adding or subtracting improper fractions to strategies for adding or subtracting mixed numbers./a centimetre to a square centimetre/a metre to a square metre./a square centimetre to a square metre./the perimeters of various rectangles with the same area.		
Evaluate	the composition and decomposition of a quantity within 1 using unit fractions.		
Justify	numerical expressions involving addition or subtraction in parentheses according to the order of operations.		
Estimate	the choice of square centimetres, square metres, or square kilometres as appropriate units to express various areas.		
	an area by comparing to a benchmark of a square centimetre or square metre.		



Larger version of Skill Concepts found on the spreadsheet - click on "Skills link" below.

What are the [Skills](#)?

Sources:

Bruce, C., Chang, D., Flynn, T. *Foundations to Learning and Teaching Fractions: Addition and Subtraction - Literature Review*. Trent University. 2013

Bruce, C et al. Actions to Develop Fractions Understanding as contained in *Paying Attention to Mathematics Education*.

<http://www.edugains.ca/resourcesMath/CE/LessonsSupports/Fractions/SupportDocs/ActionstoDevelopUnderstandingFractions.pdf>

\_\_\_\_\_. Institute of Educational Science. *IES - Developing Effective Fractions Instruction for Kindergarten Through Grade 8*. 2010

<https://www.readkong.com/tmp/developing-effective-fractions-instruction-for-kindergarten-7236374.pdf>

Greenberg, D. *Funny and Fabulous Fraction Stories*. Scholastic Education

*Ways We Use Fractions*. Edugains Teacher Support:

<http://www.edugains.ca/resourcesDP/Resources/PlanningSupports/mathforTeachingWaysWeUseFractions.pdf>

*MathLinks 7*. Nelson Learning Centre.

# Thank you!

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czarski@carcpd.ab.ca

Where are the files going to be?

Grade 5  
arpdc.ab.ca



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